

Thermodynamics & Heat Transfer

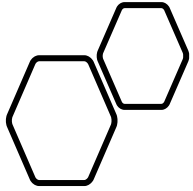
by
Dr. Eng. Abdel-Nasser Saber

THERMODYNAMICS & HEAT TRANSFER

- 1. Fundamental Concepts and First Principles**
- 2. Ideal gas and First law of thermodynamics**

Chapter 1

Fundamental Concepts



- **Electric Power Generation**
- **Thermal station**





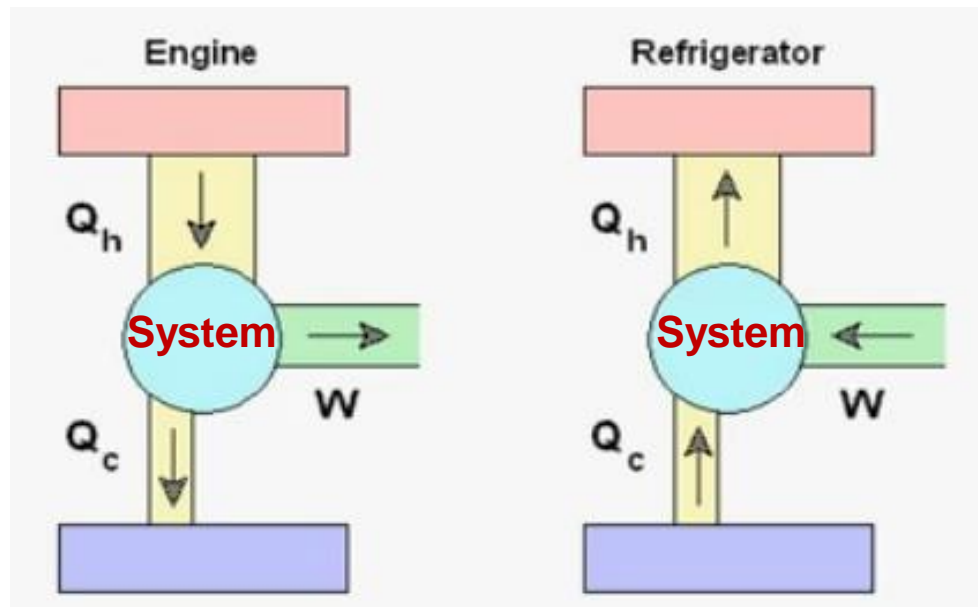
Oil Company



Definitions

1. Thermodynamic Science:

It is the branch of science and an engineering tool used to describe processes that involve **changes in temperatures, transformation of energy, and the relationship between heat and work.**

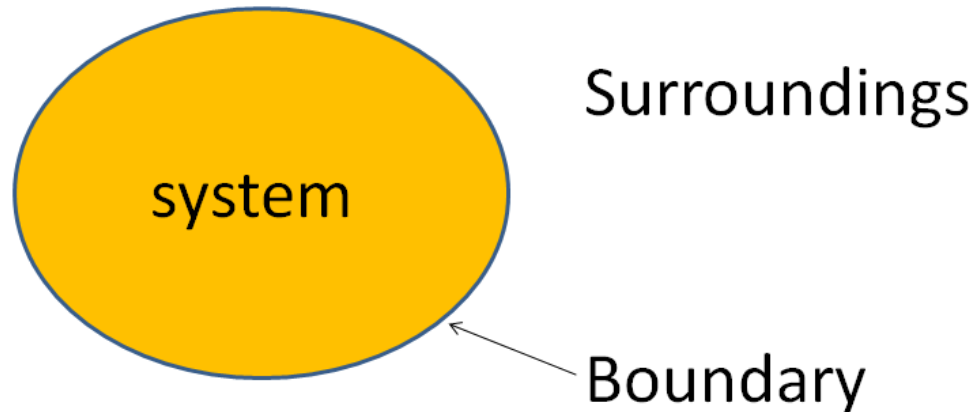


➤ Historically, **thermodynamics** developed out of a desire to increase the efficiency of early steam engines.

☐ Definitions

2. System:

A thermodynamic system is a quantity of matter of fixed identity around which we can draw a boundary.



- The boundary may be fixed or movable.
- The surrounding is everything outside the boundary.
- Work and heat can be transferred across the system boundary.

Definitions

Types of thermodynamic systems



Open

Heat transfer
Mass transfer



Closed

Heat transfer
NO Mass transfer



Isolated

NO Heat transfer
NO Mass transfer

☐ Definitions

3. State:

the state of a thermodynamic system is **the system condition** at any specific time which is defined by specifying values of a set of measurable properties.

- the **measurable properties** are used to determine the values of the **non-measurable properties**.
- **State Variables of a system** (Measurable + Non-measurable properties)

➤ **the state variables describe the state only when the system is in equilibrium.**

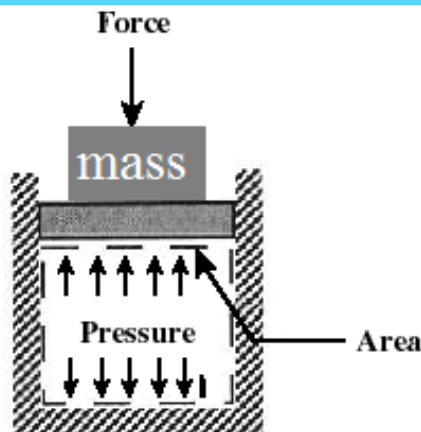
Definitions

4. Equilibrium:

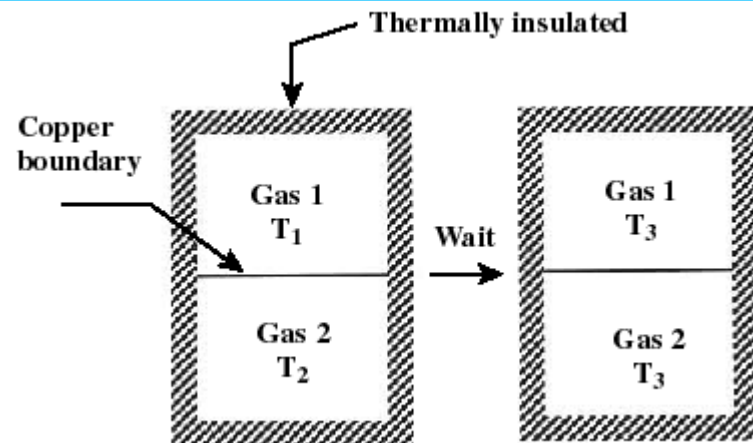
The equilibrium state of a system is a state in which the **system properties have definite unchanged values** as long as the external conditions are unchanged.

➤ A system in thermodynamic equilibrium satisfies:

- Mechanical equilibrium (no Unbalanced forces $\Sigma F= 0$)
- Thermal equilibrium ($\Delta T=0$)
- Chemical equilibrium



Mechanical Equilibrium



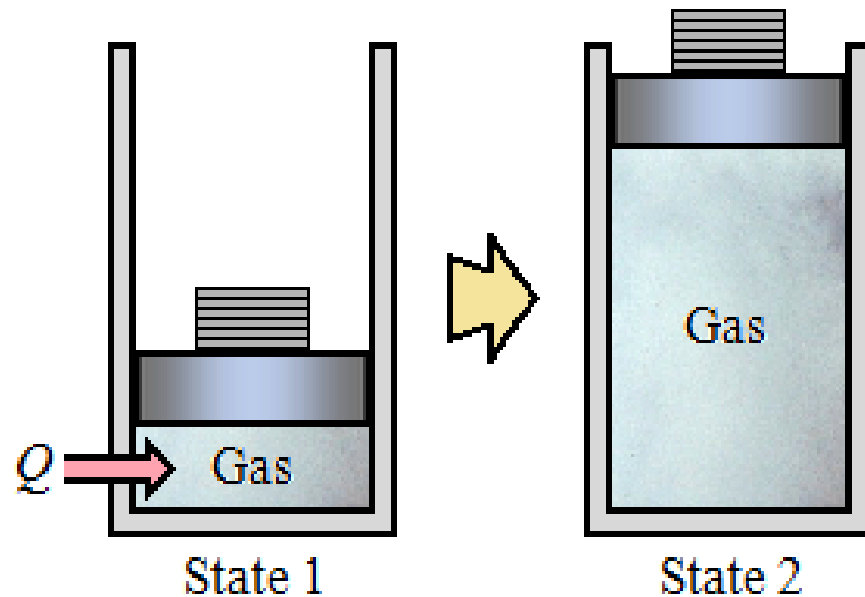
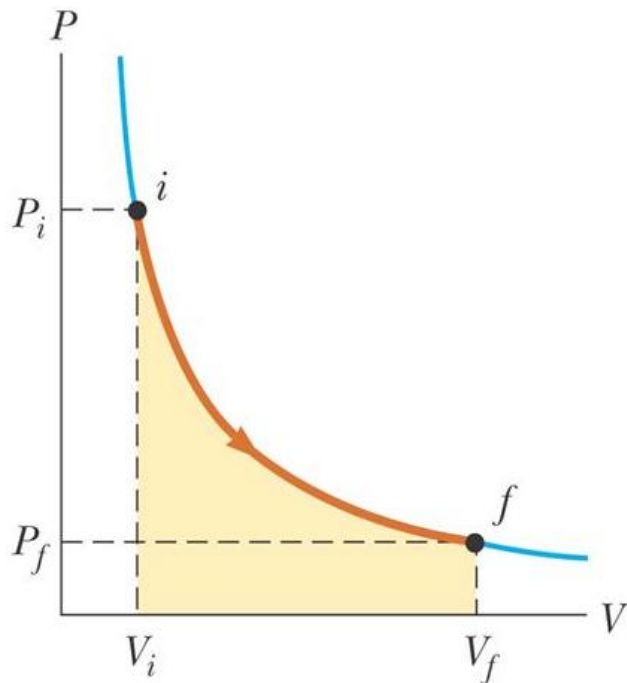
Thermal Equilibrium

Definitions

5. Process:

If the state of a system changes, then it is undergoing a process.

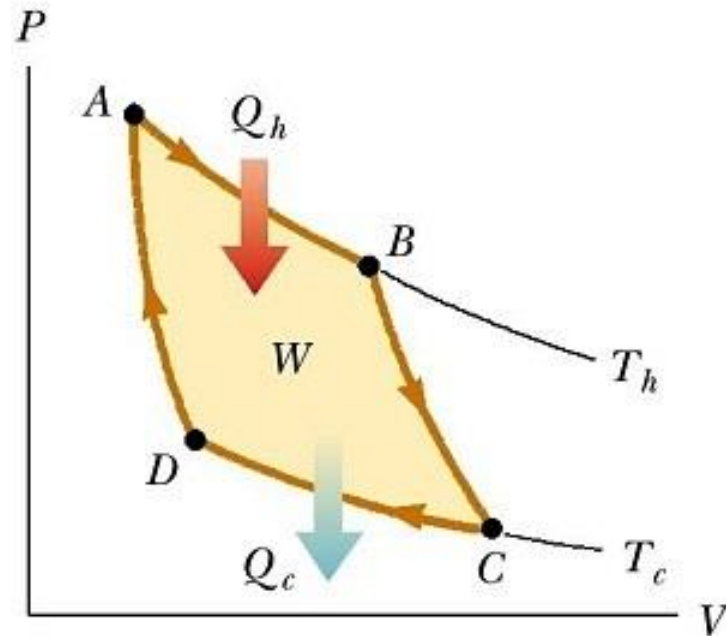
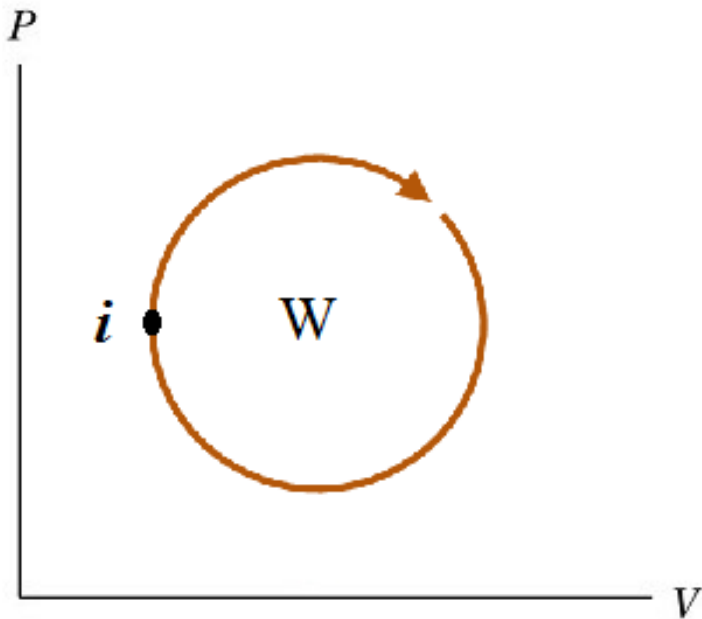
➤ **The thermodynamic process** is a passage of a thermodynamic system from an initial to a final state of thermodynamic equilibrium.



Definitions

➤ Cyclic Process:

It is the process at which the system return to its initial state at its end.



- Represented by a closed loop on the PV diagram.
- The system may pass through a set of equilibrium states (such as A, B, \dots) during the cyclic process.

□ Definitions

6. Macroscopic scale:

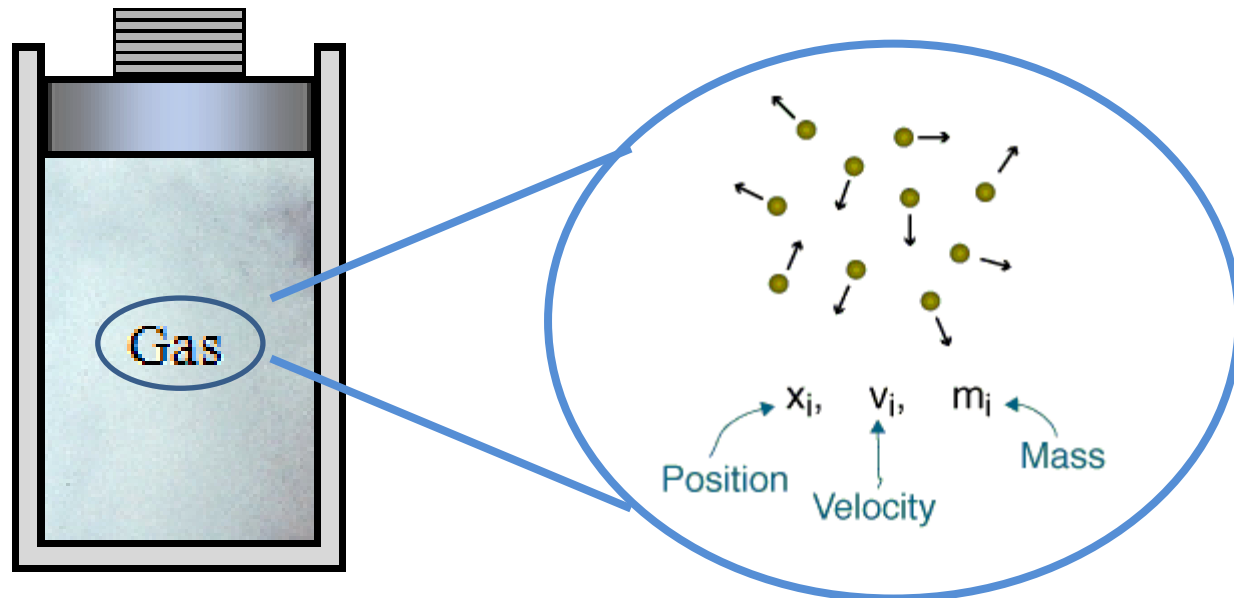
- On the macro-scale the gas is considered a uniform, with properties that are averaged from the individual components.
- On the macro-scale, we are **dealing with large scale effects** that we can measure, such as **pressure, temperature, flow velocity,...**



Definitions

7. Microscopic scale:

- On the micro-scale the gas is modeled by the **kinetic theory** with **molecules** size are very small relative to the distance between them.
- Simple theories were developed to relate the macroscopic properties (**pressure, temperature,...**) to the **microscopic properties** (**mass, momentum, kinetic energy,...**)

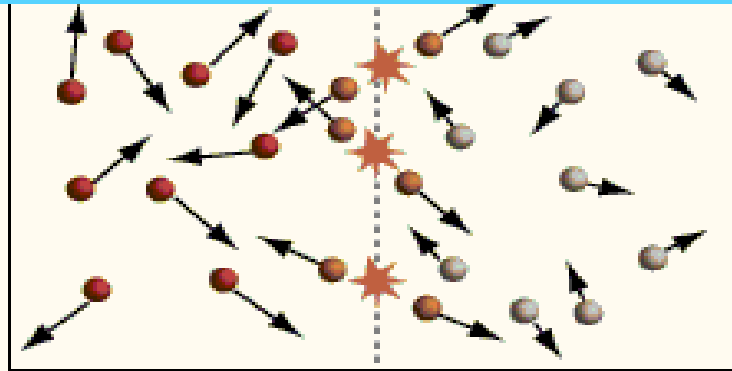


Temperature

➤ Temperature

it is a measure of the system internal energy.

- Temperature is **Macroscopic property**. (Sense that one gas is **hotter** than another gas and therefore has a higher temperature)
- The temperature of a gas (**Microscopic property**) is a measure of the **average translational kinetic energy** of the gas molecules.



➤ In hot gas, the molecules move faster than the molecules of the cold gas.

□ Temperature

➤ Units of Temperature (Temperature scales)

1. Celsius Scale ($^{\circ}\text{C}$)
2. Kelvin Scale (K)
3. Fahrenheit Scale (F)
4. Rankine Scale ($^{\circ}\text{R}$)

1. Celsius Scale ($^{\circ}\text{C}$)

- Is the **CGS unit** of temperature
- Use the **freezing point of pure water** as the zero point (0°C)
- Use **the boiling point of the pure water** as 100°C .
- The scale between the two points was divided into **100 equal parts** (Linear scale).

The level of the mercury in the thermometer rises as the mercury is heated by water in the test tube.



Temperature

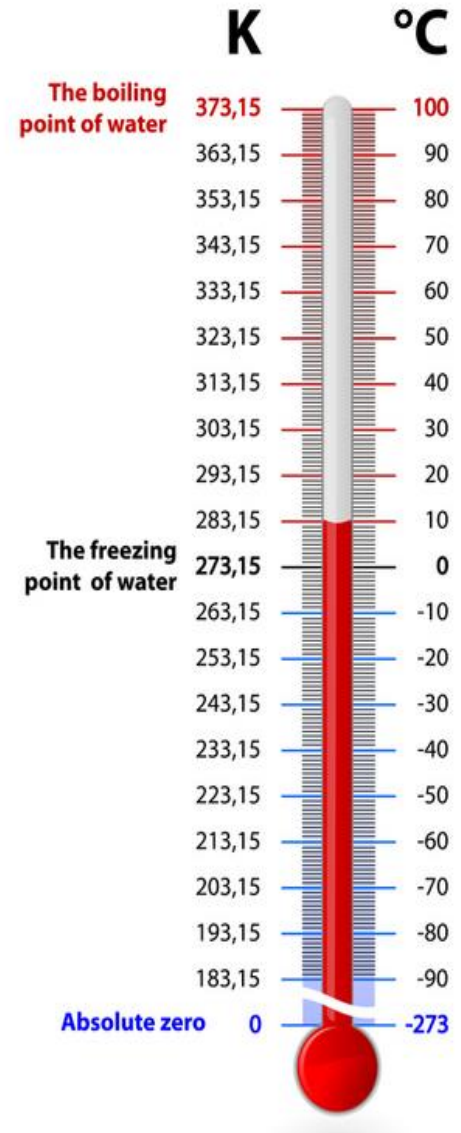
2. Kelvin Scale (K) (**Absolute Scale**)

- Is the **SI unit** of temperature
- According to Kelvin scale,
- the triple point of water (**0.01 °C**)
- chosen as a fixed point and equals 273.16 K.

$$T_K = T_C + 273.15$$

➤ **Absolute zero (0 K) or (-273.15 °C)** is where **all kinetic motion** in the particles in matter is **minimum and matter contains no thermal energy**.

➤ **One degree increment on Kelvin scale has precisely the same magnitude as one degree increment on the Celsius scale.**



Temperature

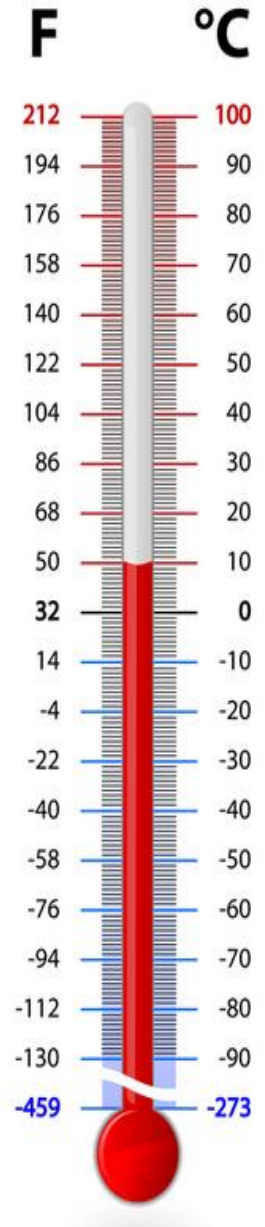
3. Fahrenheit Scale (°F)

- Is the unit of temperature in **the British system**.
- Use the freezing point of **sea water** as the zero point (°F) and the **freezing point of pure water as the 32 °F**.
- Use the **boiling point of the pure water as 212 °F**.
- The difference between the two reference points is 180 °F.

$$1 \text{ degree } ^\circ F = 1 \text{ degree } ^\circ C \times \frac{180}{100} = 1 \text{ degree } ^\circ C \times \frac{9}{5}$$

$$T_F = 32 + \frac{9}{5} T_C$$

$$T_C = \frac{5}{9} (T_F - 32)$$



□ Temperature

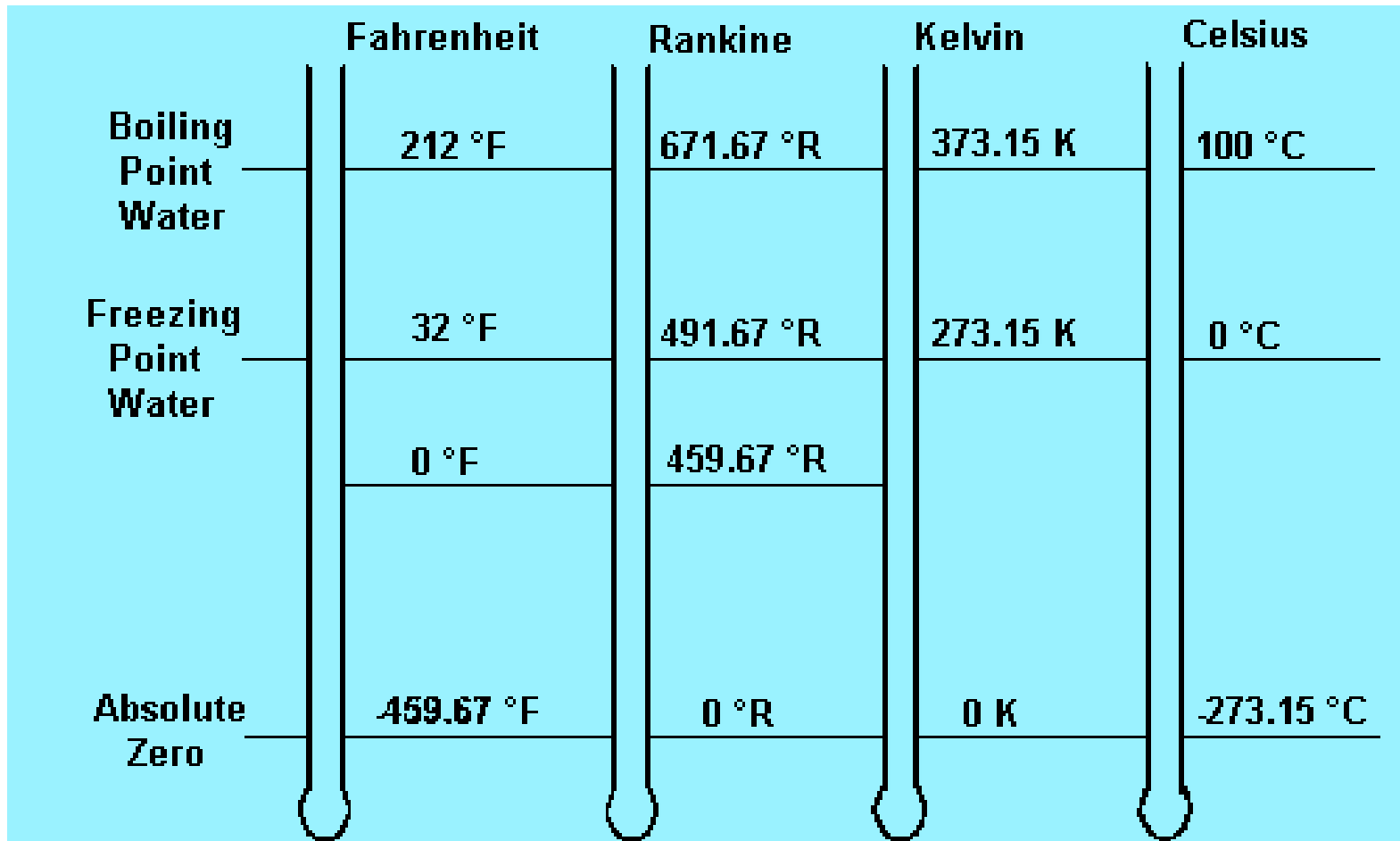
4. Rankine Scale (°R)

- A similar absolute zero corresponding to the Fahrenheit scale.
- Zero on both the Kelvin and Rankine scales is absolute zero,
- the Rankine degree is defined as equal to one degree Fahrenheit.

$$T_R = T_F + 459.67$$

$$T_R = \left(\frac{9}{5}T_C + 32\right) + 459.67 \rightarrow T_C = \frac{5}{9}(T_R - 491.67)$$

□ Temperature



□ Temperature

Example (1)

The normal boiling point of liquid Oxygen is $-183\text{ }^{\circ}\text{C}$. what is this temperature on (a) Kelvin scale, (b) Rankine scale?

Solution

$$T_C = -183^{\circ}\text{C}$$

$$(a) \quad T_K = T_C + 273.15$$

$$T_K = (-183) + 273.15 = \mathbf{90.15\text{ K}}$$

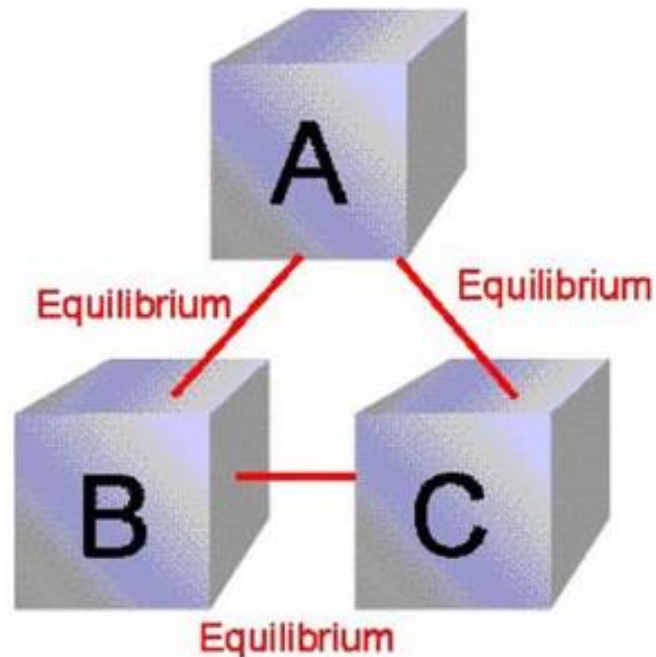
$$(b) \quad T_R = T_F + 459.69 = \frac{9}{5}T_C + 491.67$$

$$T_R = \frac{9}{5} \times -183 + 491.67 = \mathbf{162.27\text{ }^{\circ}\text{R}}$$

□ The Zeroth law of thermodynamic

➤ This law states that:

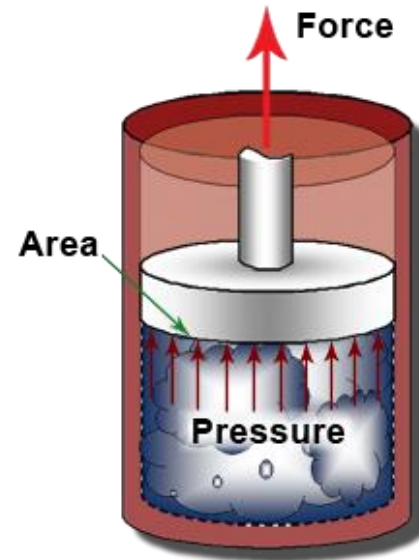
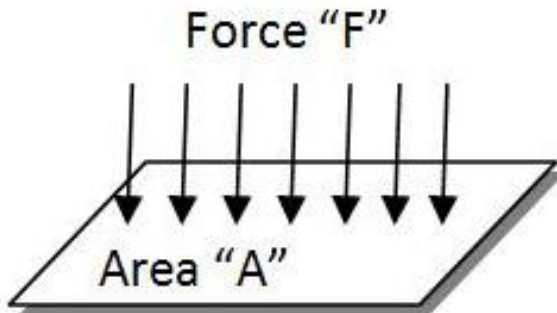
“ if object A is in thermal equilibrium with object B, and object B is in thermal equilibrium with object C, then object C is also in thermal equilibrium with object A”.



□ Pressure

The pressure of a system can be defined as” **the force exerted by the system on unit area of the boundaries**”.

1. Mechanical pressure



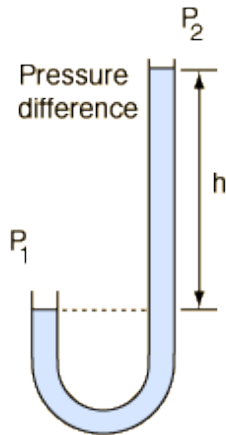
$$P = \frac{F_{\perp}}{A}$$

Pressure is a **scalar quantity** since it is proportional to the magnitude of the force.

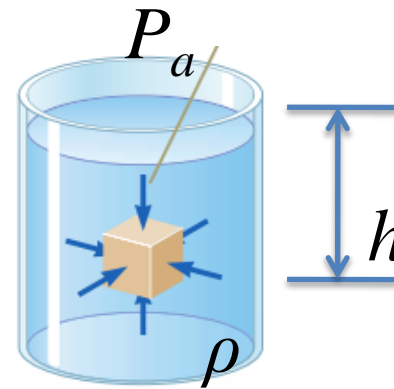
□ Pressure

2. Hydrostatic pressure

The pressure due to a column of a liquid



$$\Delta P = P_1 - P_2 = \rho gh$$



$$P = P_a + \rho gh$$

➤ If the pressure varies over an area, the infinitesimal force dF on an infinitesimal surface element of area dA is

$$P = \frac{dF}{dA} \quad \text{or} \quad dF = PdA$$

Pressure

A normal force exerted by a fluid per unit area.

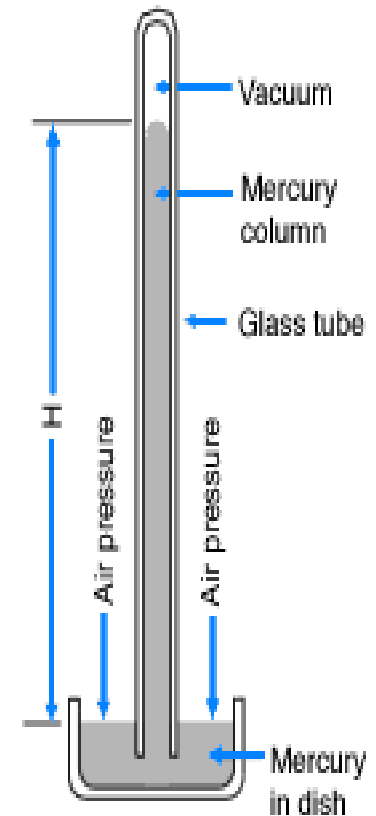
$$P = \frac{F}{A} \quad \text{N/m}^2$$

Pressure units:-

$$\text{Pascal (Pa)} = \text{N/m}^2 \quad \text{Bar} = 10^5 \text{ N/m}^2$$

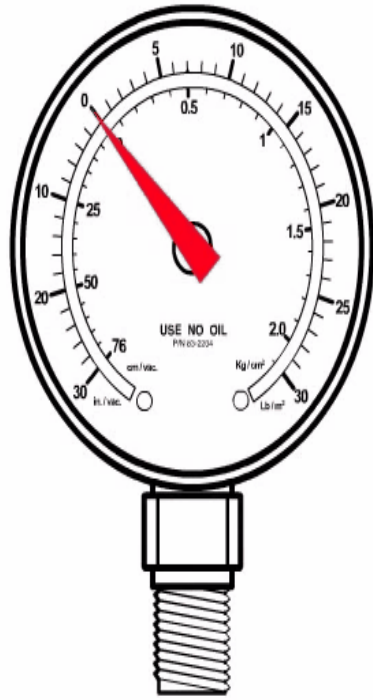
Hydrostatic pressure

Atmospheric pressure



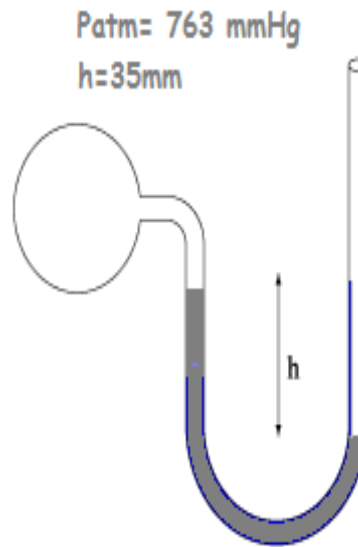
$$1 \text{ atm} = 101325 \text{ N/m}^2 = 14.7 \text{ psi} = 76 \text{ cm Hg} = 760 \text{ mm Hg} \\ = 760 \text{ torr}$$

Pressure measuring instruments



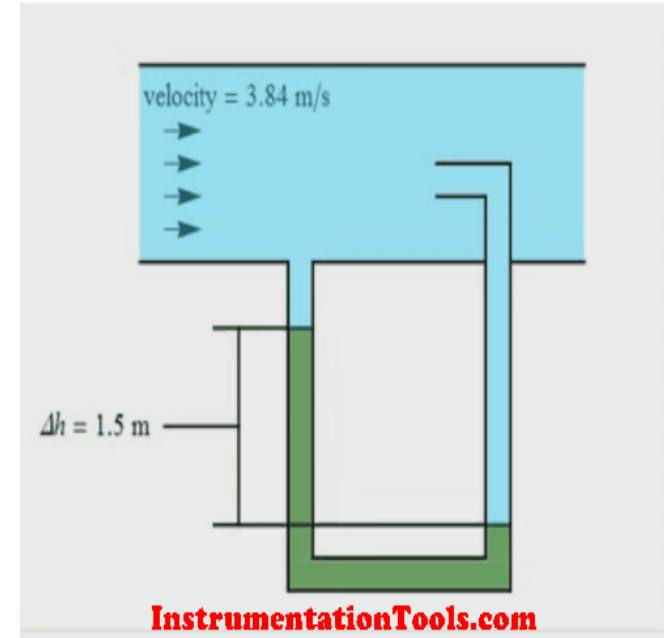
InstrumentationTools.com

Borden tube



Manometer

Dynamic pressure



pitot tube

□ Pressure

➤ Gauge Pressure

The pressure difference between **the system pressure and the atmospheric pressure.**



$$P_{gauge} = P_{system} - P_a$$

Absolute pressure of a system

$$P_{system} = P_{gauge} + P_a$$

□ Pressure

$$P = \frac{F_{\perp}}{A}$$

➤ Units of pressure

- **SI unit** → N/ m² = Pascal (Pa)
- **CGS unit** → dyne/ cm²
- **British system** → (lb/in²= psi)

Units	Pa	psi	atm	bar	torr
Pa	1N/m ²	1.45 x 10 ⁻⁴	9.869 x 10 ⁻⁶	10 ⁻⁵	7.5 x 10 ⁻³
psi	6.894 x 10 ³	1 lb/in ²	6.8 x 10 ⁻²	6.894 x 10 ⁻²	51.714
atm	1.01325 x 10 ⁵	14.695	P ₀	1.01325	760
bar	10 ⁵	14.5	0.9869	10 ⁶ dyne/cm ²	750
torr	133.322	1.93 x 10 ⁻²	1.315 x 10 ⁻³	1.333 x 10 ⁻³	1 mmHg

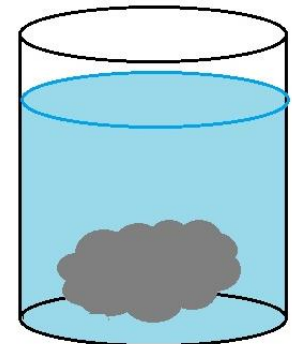
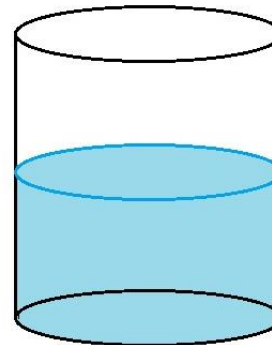
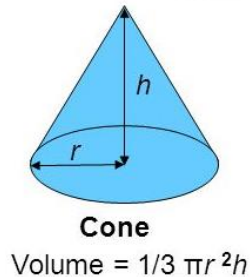
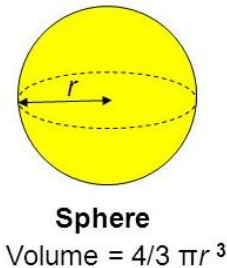
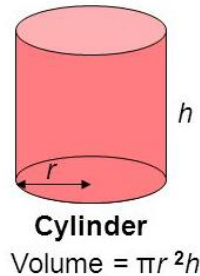
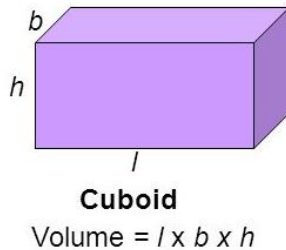
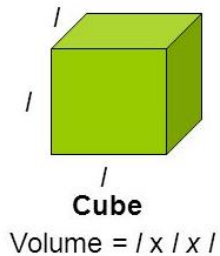
Volume

The volume of a solid object is:

➤ The three-dimensional space the body occupies.

or

➤ The quantity of three-dimensional space enclosed by a closed surface.



□ Volume

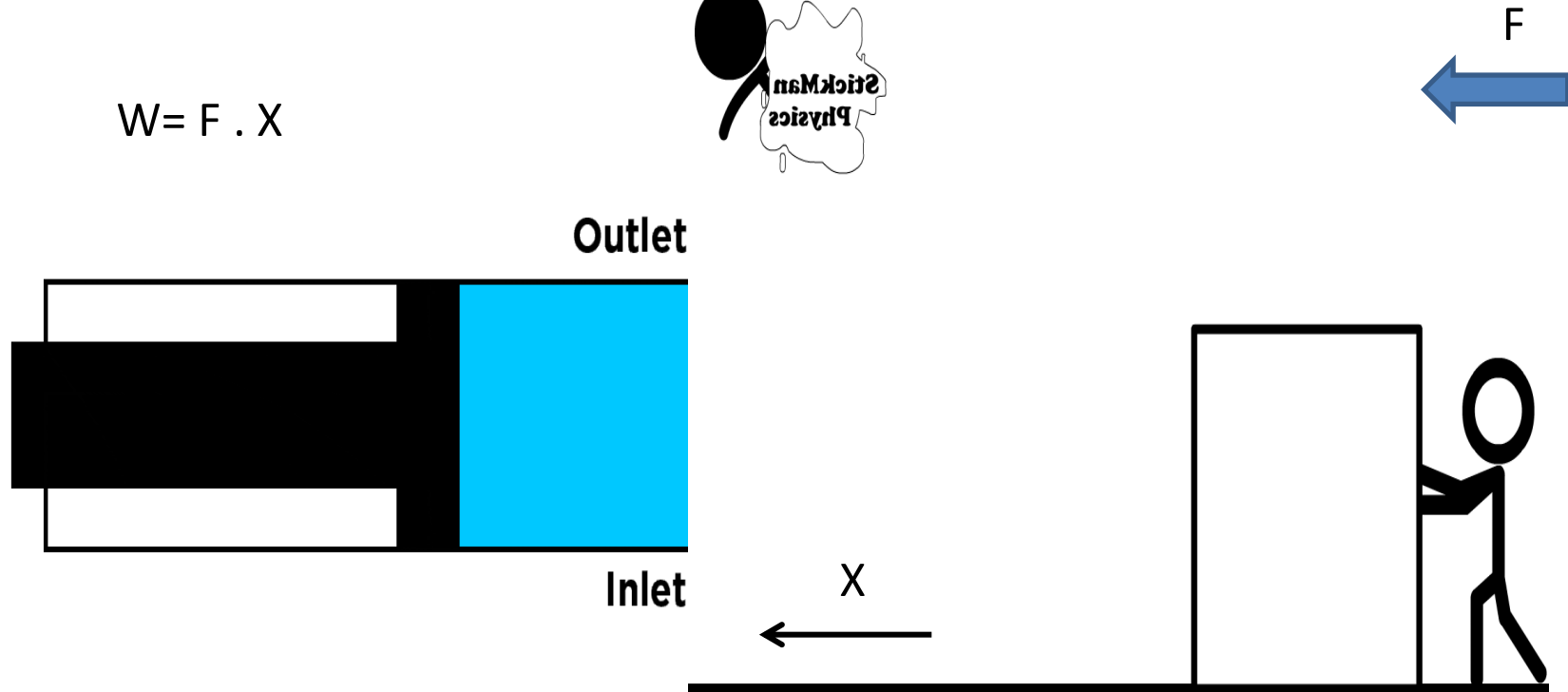
➤ Common Units of Volume and Capacity:

- SI unit \rightarrow m^3
- CGS unit \rightarrow $\text{cm}^3 = 10^{-6} \text{m}^3$
- British system \rightarrow cubic inch or cubic foot
- **Liter = $1000 \text{ cm}^3 = 10^{-3} \text{ m}^3$**

WORK

Energy transfer associated with a force acting through a distance.

$$W = F \cdot X$$



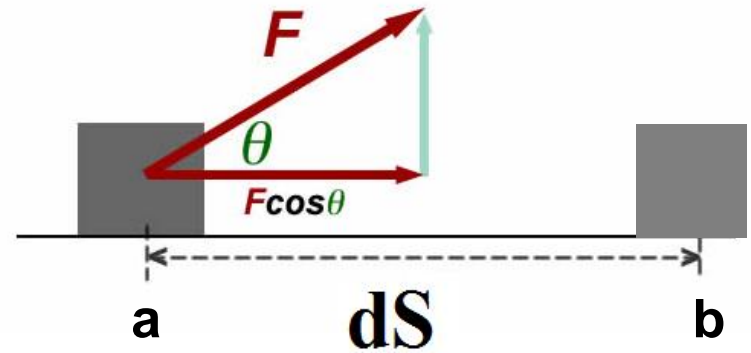
Energy transfer , not due to mass transfer across system boundary

Work

➤ The work (W) done on a body can be defined as:

The product of the force F acting on the body through a distance S .

$$W = \int_a^b F \cdot dS = \int_a^b F dS \cos \theta$$



➤ The **SI unit** of the work is Joule (J):

$$1 \text{ Joule} = \text{N.m}$$

➤ The **C.G.S. unit** of the work is erg:

$$1 \text{ erg} = \text{dyne.cm} = 10^{-7} \text{ Joule}$$

Work

- Consider a thermodynamic systems such as a gas contained in a cylinder fitted with a **movable piston** of a cross section area A

The force exerted by the gas molecules on the piston is:

$$F = PA$$

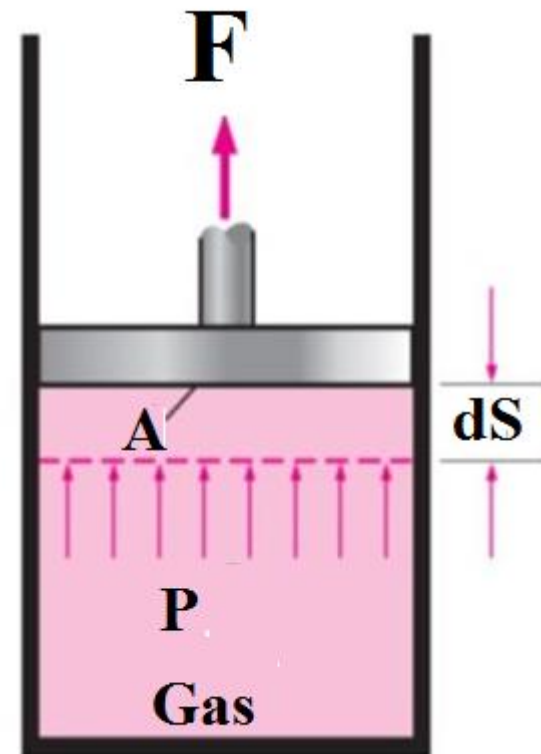
If this pressure causes the piston to move a distance dS

$$\therefore dW = FdS = (PA)dS$$

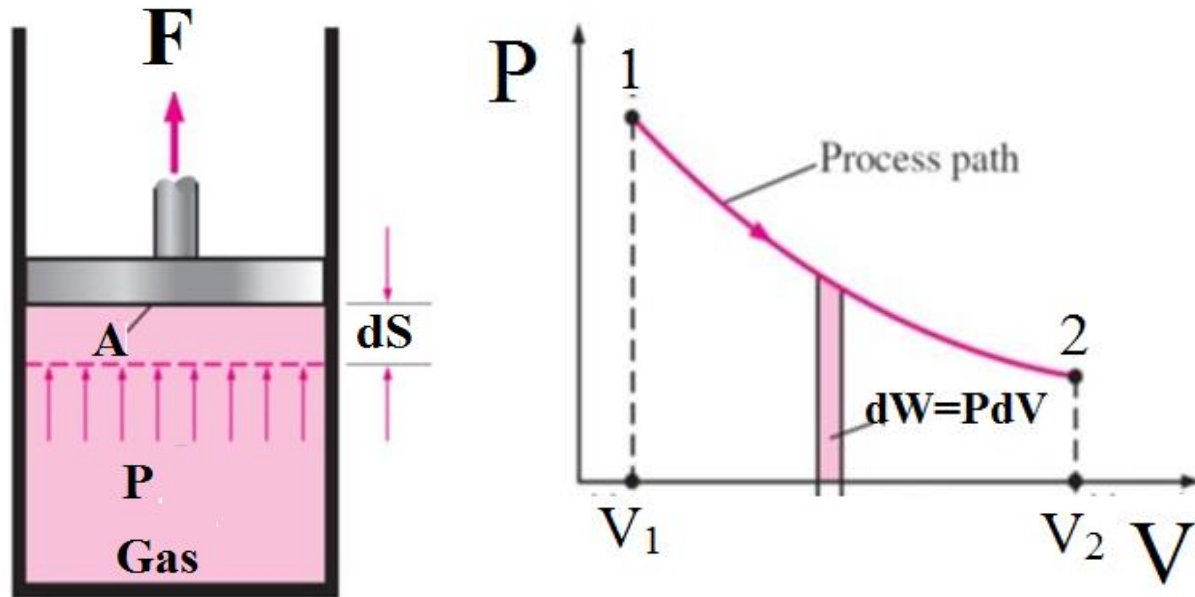
$$dW = P(AdS) = PdV$$

The total work if the volume changes from $V_1 \rightarrow V_2$

$$W = \int_{V_1}^{V_2} PdV = P\Delta V$$



□ Work

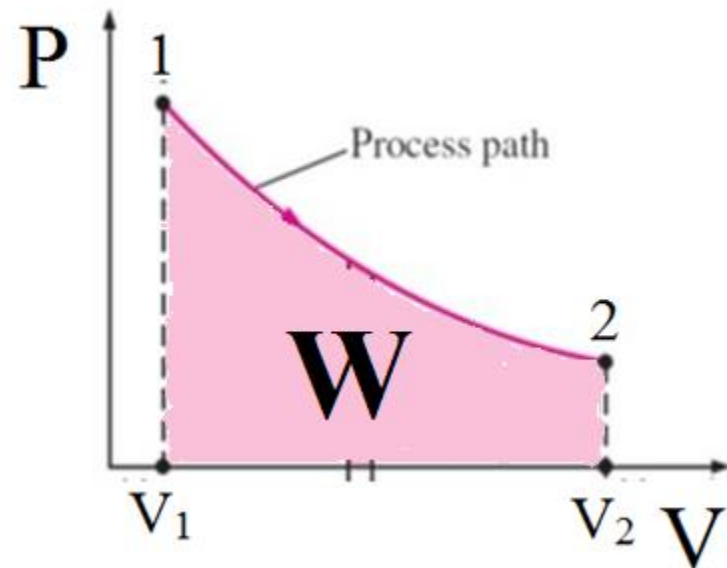
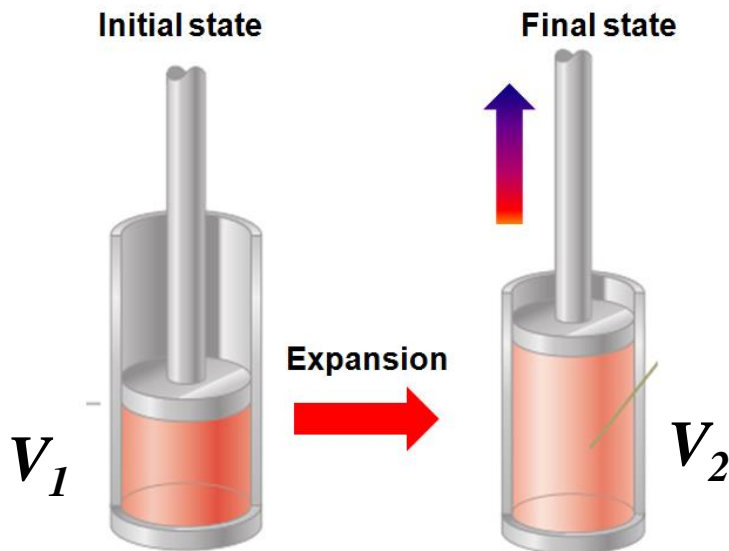


$$dW = P(A dS) = PdV$$

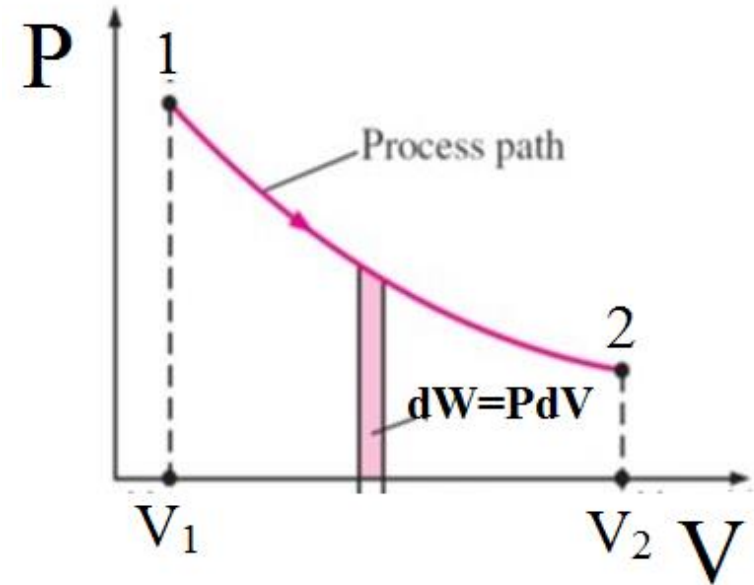
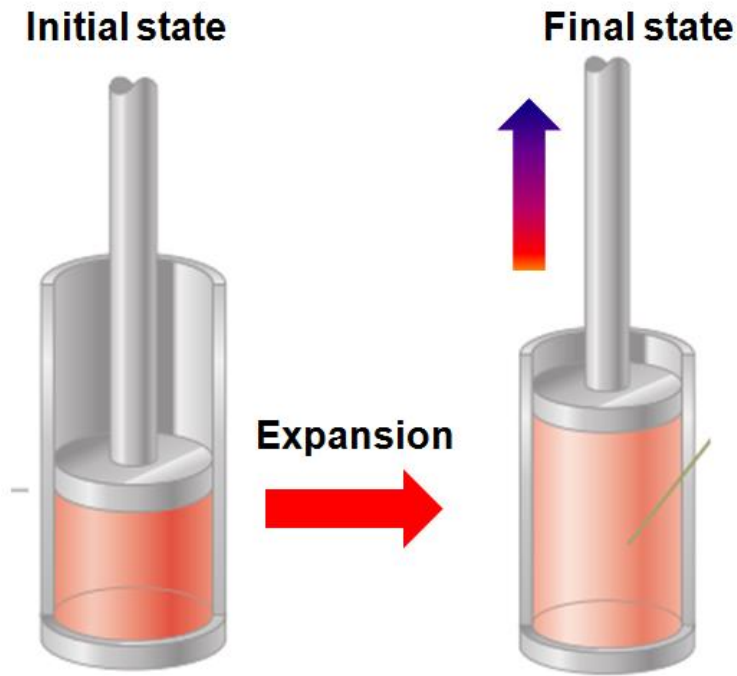
□ Work

$$W = \int_{V_1}^{V_2} P dV = PV \Big|_{V_1}^{V_2} = P(V_2 - V_1)$$

$$W = \int_{V_1}^{V_2} P dV = P \Delta V$$

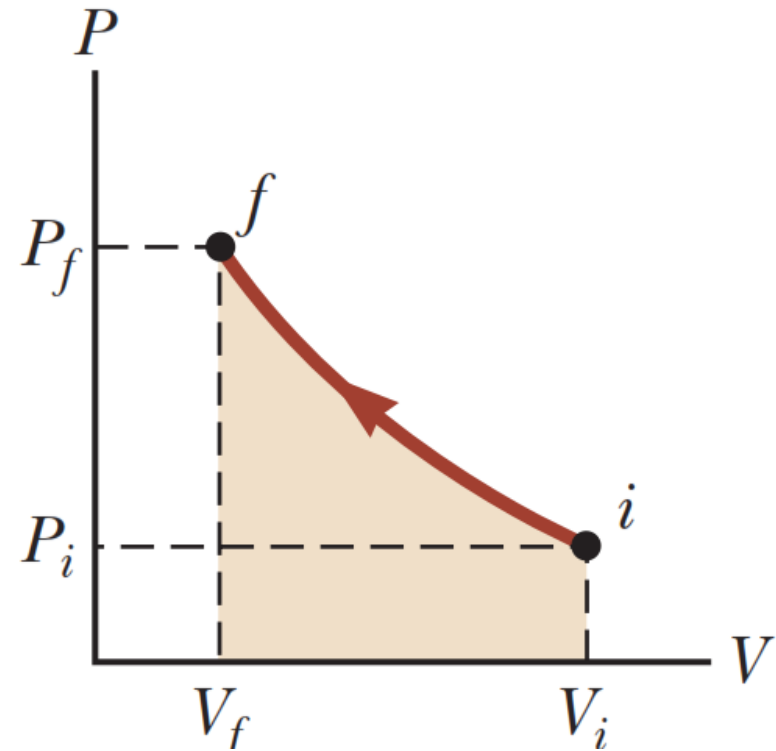
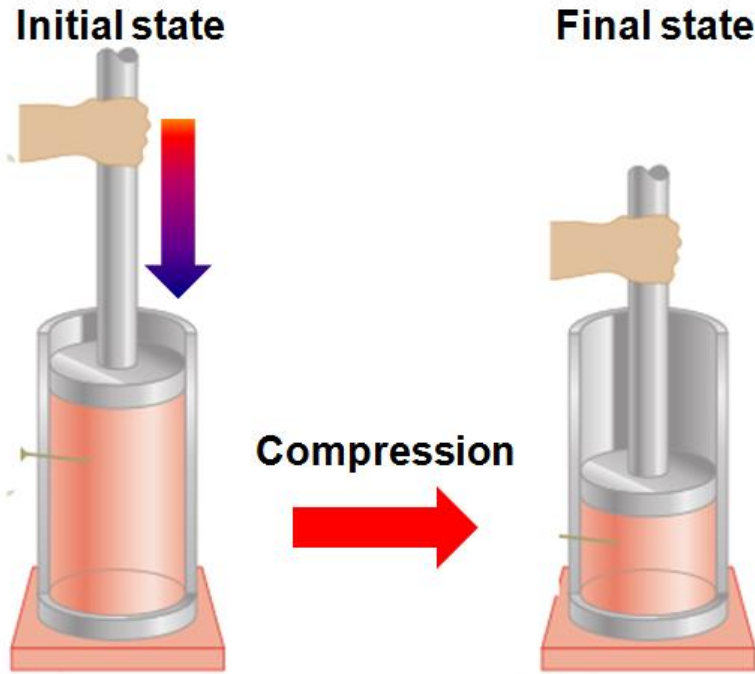


□ Work



$W = +ve \rightarrow$ work done **by** the system

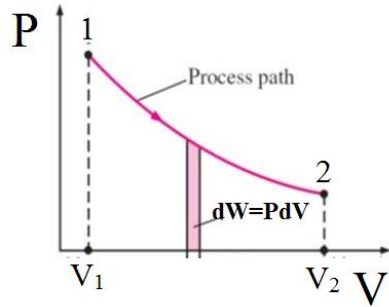
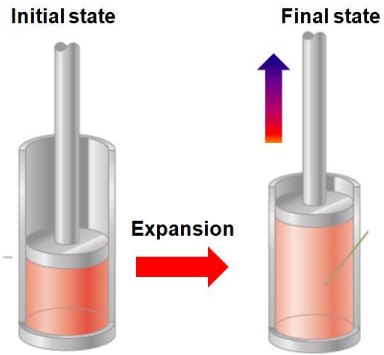
Work



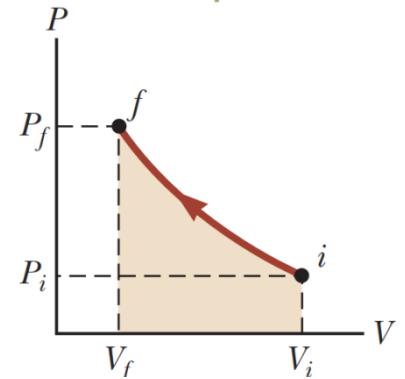
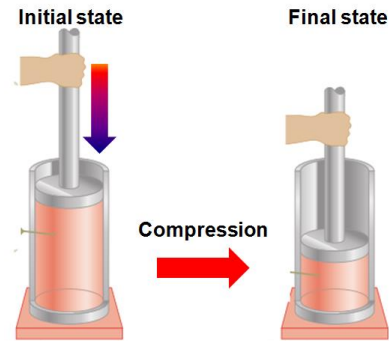
$W = -ve \rightarrow$ work done **on** the system

Work

Work Sign Rule



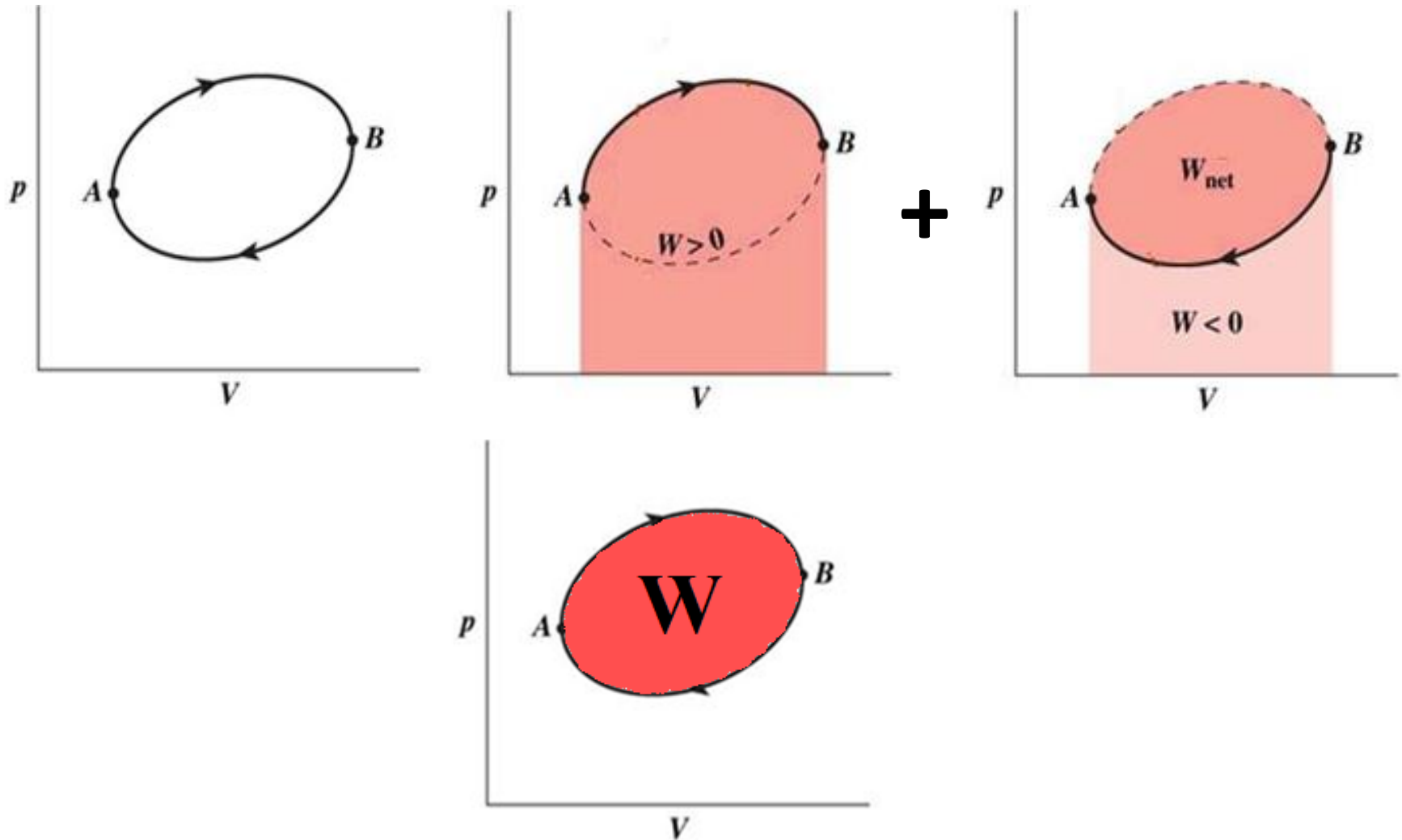
$W = +ve \rightarrow$ work done **by** the system



$W = -ve \rightarrow$ work done **on** the system

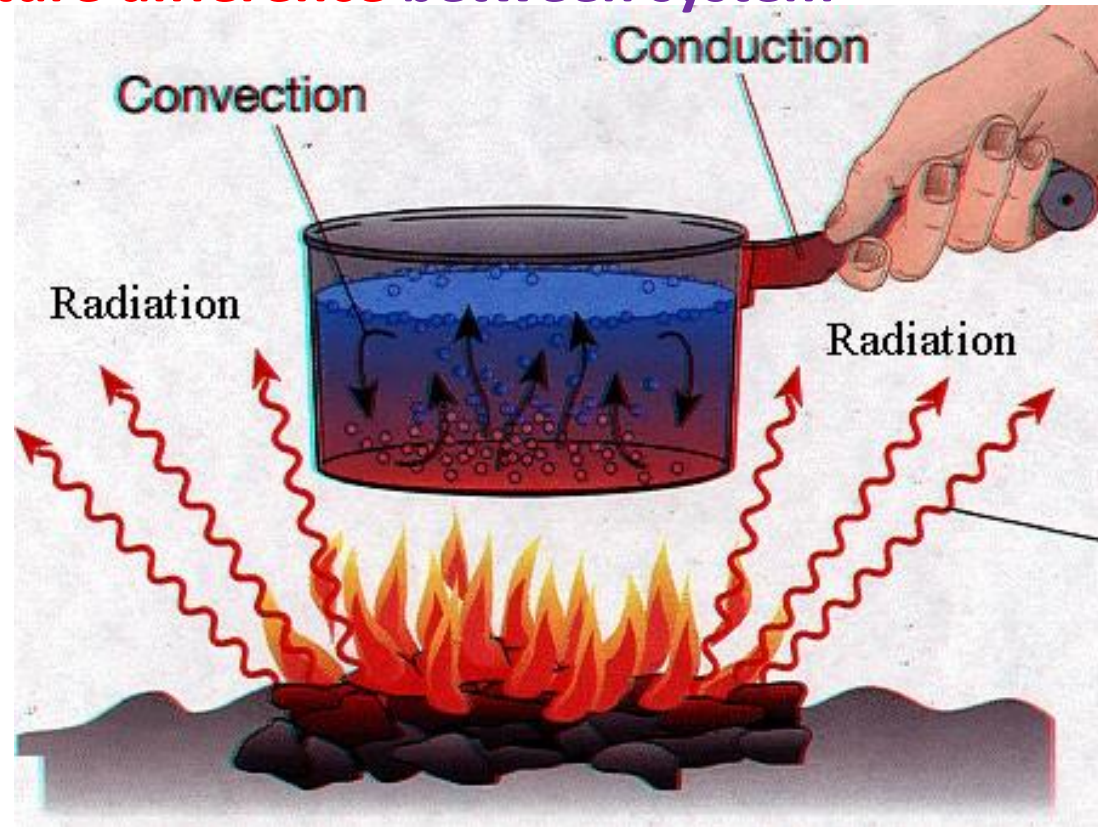
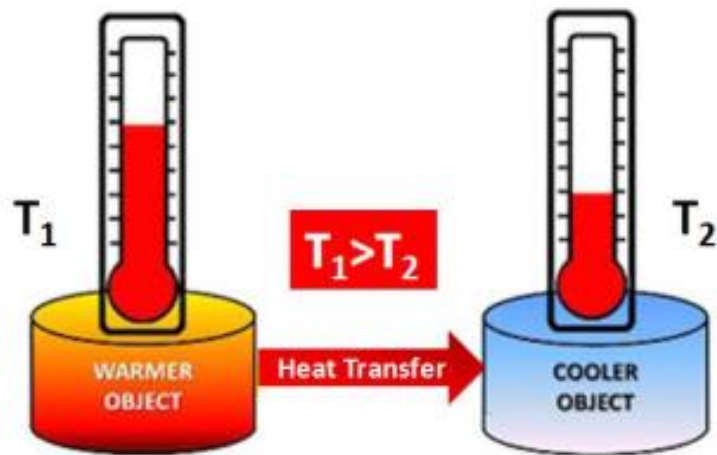
Work

➤ Net Work from Cyclic Process:



Heat

Energy transfer, not due to mass transfer across system boundary but due to **temperature difference** between system and surrounding.



➤ Heat transfer occurs basically in three ways:

1. Conduction
2. Convection and
3. Radiation

Heat

➤ Unit of Heat:

1. **SI Unit** → Joule (J)
2. **C.G.S Unit** → calorie (cal)

calorie (cal): the amount of heat energy needed to raise the temperature of **1 g** of water **1 °C** (from **14.5°C** to **15.5°C**).

$$1 \text{ cal} = 4.185 \text{ J}$$

$$1 \text{ Joule} = \frac{1}{4.185} \text{ cal} = 0.239 \text{ cal}$$

Heat

Unit of Heat:

1. **SI Unit** → Joule (J)
2. **C.G.S Unit** → calorie (cal)
3. **British Unit** → British Thermal Unit (BTU)

calorie (cal):

the amount of heat energy needed to raise the temperature of **1 g** of water **1 °C** (from **14.5°C** to **15.5°C**).

$$1 \text{ cal} = 4.185 \text{ J}$$



$$1 \text{ Joule} = \frac{1}{4.185} \text{ cal} = 0.239 \text{ cal}$$

Kilocalorie (Cal):

the amount of heat energy needed to raise the temperature of **1 Kg** of water **1 °C** (from **14.5°C** to **15.5°C**).

$$1 \text{ kilocalorie (Cal or Kcal)} = 1000 \text{ cal}$$



$$1 \text{ Cal} = 4185 \text{ J}$$

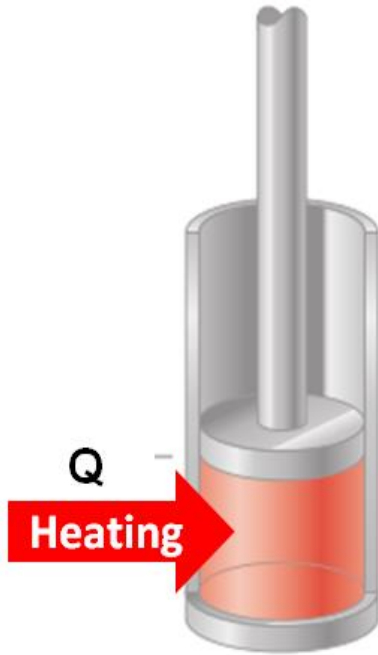
Heat

➤ Unit of Heat:

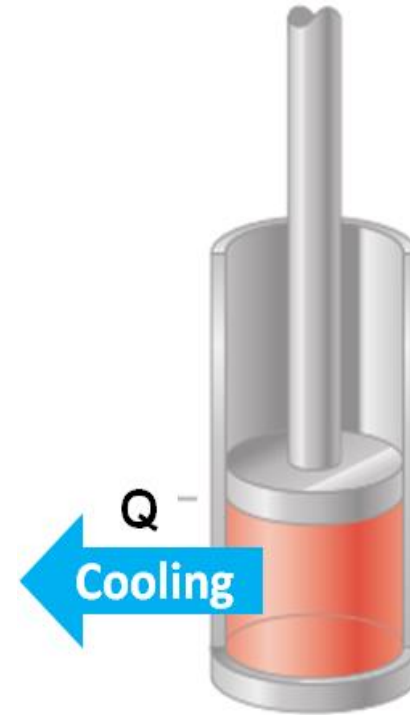
	Joule	Calorie	BTU	Kilowatt-hour	Electronvolt
Joule	XX	0.2390	0.000948	2.77778E-07	6.2383E+18
Calorie	4.184	XX	0.00397	1.16279E-06	2.61097E+19
BTU	1055	252	XX	0.000293	6.57895E+21
Kilowatt-hour	3.6E6	8.6E5	3412	XX	2.24719E+25
Electronvolt	1.603E-19	3.83E-20	1.52E-22	4.45E-26	XX

Heat

Heat Sign Rule



$Q = +ve \rightarrow$ Heat **added** to the system



$Q = -ve \rightarrow$ Heat **removed** from the system

Heat

➤ The quantity of heat (Q) produces a change in the temperature (ΔT) of a body:

$$Q = \int_{T_1}^{T_2} C dT = C \Delta T$$

Where

$C \rightarrow$ *Heat capacity of the body*

Heat Capacity (C):

It is the amount of heat needed to change the temperature of the substance (**system**) by **1 °C**.

$$C = \frac{Q}{\Delta T} \rightarrow \begin{cases} \frac{\text{Joule}}{K} \text{ (SI Unit)} \\ \frac{\text{cal}}{^{\circ}\text{C}} \text{ (cgs Unit)} \\ \frac{\text{BTU}}{^{\circ}\text{F}} \text{ (British Unit)} \end{cases}$$

Heat

Specific Heat (s or c):

The specific heat c of a substance is the heat capacity per **unit mass**.

The specific heat of a substance is the amount of heat needed to change the temperature of **1 Kg** of the substance by **1 °C**.

$$c = \frac{C}{m} \rightarrow C = mc$$

Specific Heats of Some Substances at 25°C and Atmospheric Pressure

Substance	Specific Heat	
	(cal/g °C)	(J/g °C)
Water	1.00	4.18
Ethanol	0.58	2.4
Aluminum	0.22	0.92
Sand	0.19	0.79
Iron	0.11	0.46
Copper	0.093	0.39
Silver	0.057	0.24
Gold	0.031	0.13

$\frac{BTU}{lb. °F}$

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$$Q = mc\Delta T$$

$$c = \frac{Q}{m\Delta T} \rightarrow \left\{ \begin{array}{l} \frac{\text{Joule}}{\text{Kg} \cdot \text{K}} \text{ (SI Unit)} \\ \frac{\text{cal}}{\text{g} \cdot \text{°C}} \text{ (cgs Unit)} \\ \frac{\text{BTU}}{\text{lb} \cdot \text{°F}} \text{ (British Unit)} \end{array} \right.$$

Heat

Molar Specific Heat (s or c):

It is the amount of heat needed to increase the temperature of **1 mole** of the substance by **1 °C**.

$$Q = nc\Delta T$$

$n \rightarrow$ number of moles

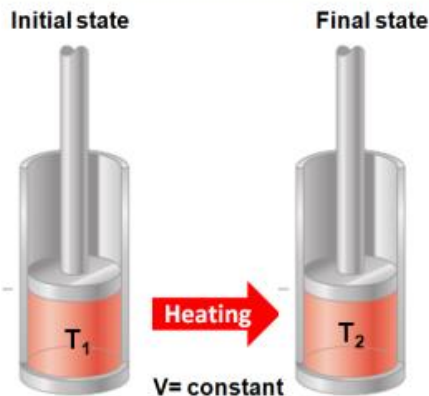
$$c = \frac{\text{Joule}}{\text{mole} \cdot K}$$

Heat

➤ For **gases** and due to the compressibility of there are **two types** of molar specific heat:-

1. Molar specific heat at **constant volume** (C_V)

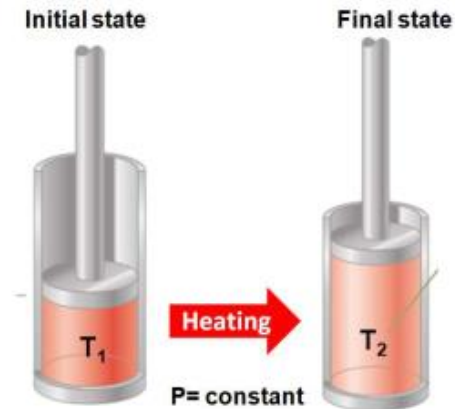
is the amount of heat needed to increase the temperature of 1 mole of the gas by 1 °C at **constant volume**.



$$Q = n c_V \Delta T$$

2. Molar specific heat at **constant pressure** (C_P)

is the amount of heat needed to increase the temperature of 1 mole of the gas by 1 °C at **constant pressure**.



$$Q = n c_P \Delta T$$

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Example (4)

A 0.05 kg ingot of metal is heated to 200.0°C and then dropped into a calorimeter containing 0.400 kg of water initially at 20.0°C. The final equilibrium temperature of the mixed system is 22.4°C. Find the specific heat of the metal.

Solution

$$m_x = 0.05 \text{ kg}, T_x = 200 \text{ }^\circ\text{C}, m_w = 0.4 \text{ kg}, T_w = 20 \text{ }^\circ\text{C}, T_f = 22.4 \text{ }^\circ\text{C}, c_x = ??$$

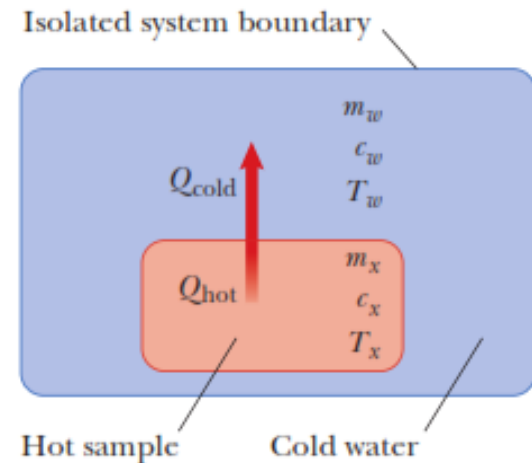
$$\Delta Q_{lost} = \Delta Q_{gained}$$

$$-m_x c_x \Delta T = m_w c_w \Delta T$$

$$-m_x c_x (T_f - T_x) = m_w c_w (T_f - T_w)$$

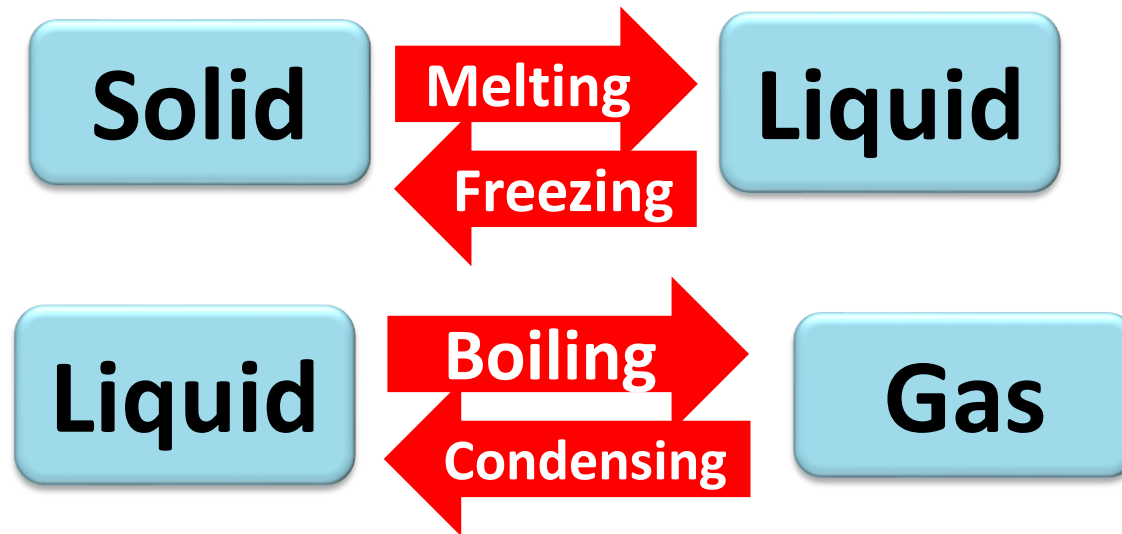
$$-0.05 \times c_x (22.4 - 200) = 0.04 \times 4186 (22.4 - 20)$$

$$c_x = 453 \frac{J}{Kg.K}$$



☐ Heat of Transformation

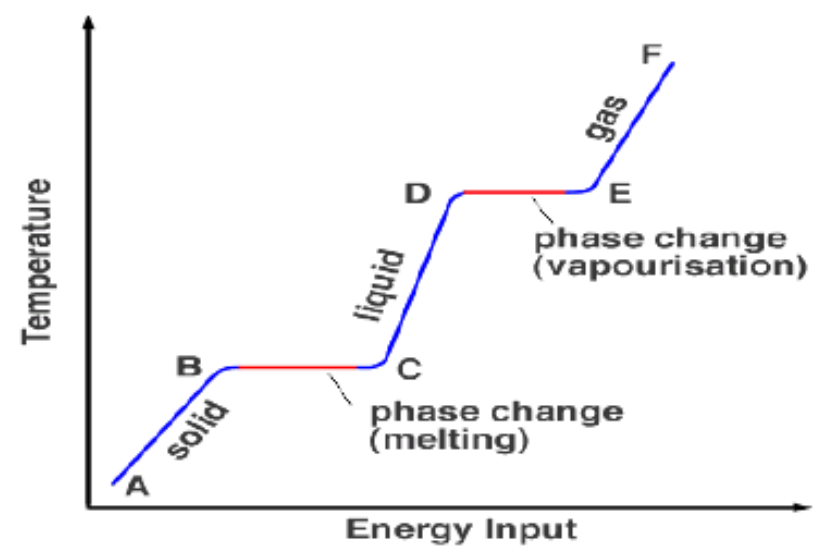
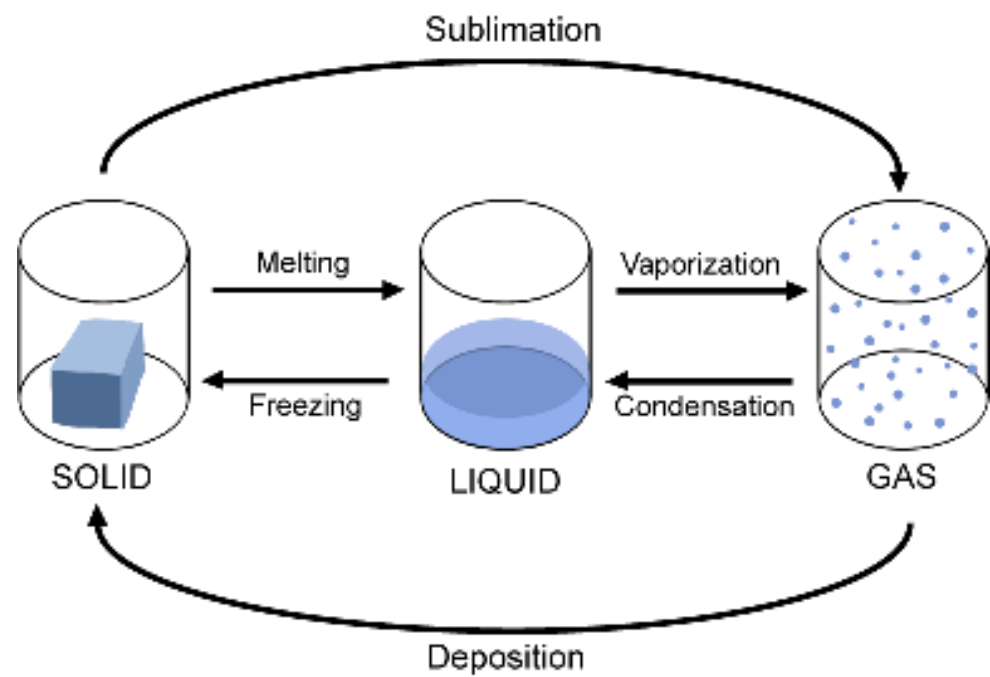
In some situations, the transfer of energy does not result in a change in temperature → **Phase change**



All phase change processes involve a change in the system's internal energy but no change in its temperature.

For example, The increase in internal energy in boiling process , is represented by the breaking of bonds between molecules in the liquid state.

Heat of Transformation



Phase change diagram.

$$Q \propto m \quad \rightarrow$$

$$Q = mL$$

$L \rightarrow$ Latent Heat or Heat of transformation

☐ Heat of Transformation

Latent heat of Fusion (L_F) of a substance:

Is the amount of heat must be supplied to change **1 Kg** of the substance at **its melting point** from **solid** to **liquid**.

The same amount of heat must be removed from 1 kg of the substance to change it from liquid to solid

Latent heat of Vaporization (L_V) of a substance:

Is the amount of heat must be supplied to change **1 Kg** of the substance **at its boiling point** from **liquid** to **vapor**.

The same amount of heat must be removed from 1 kg of the substance to change it from gas to liquid

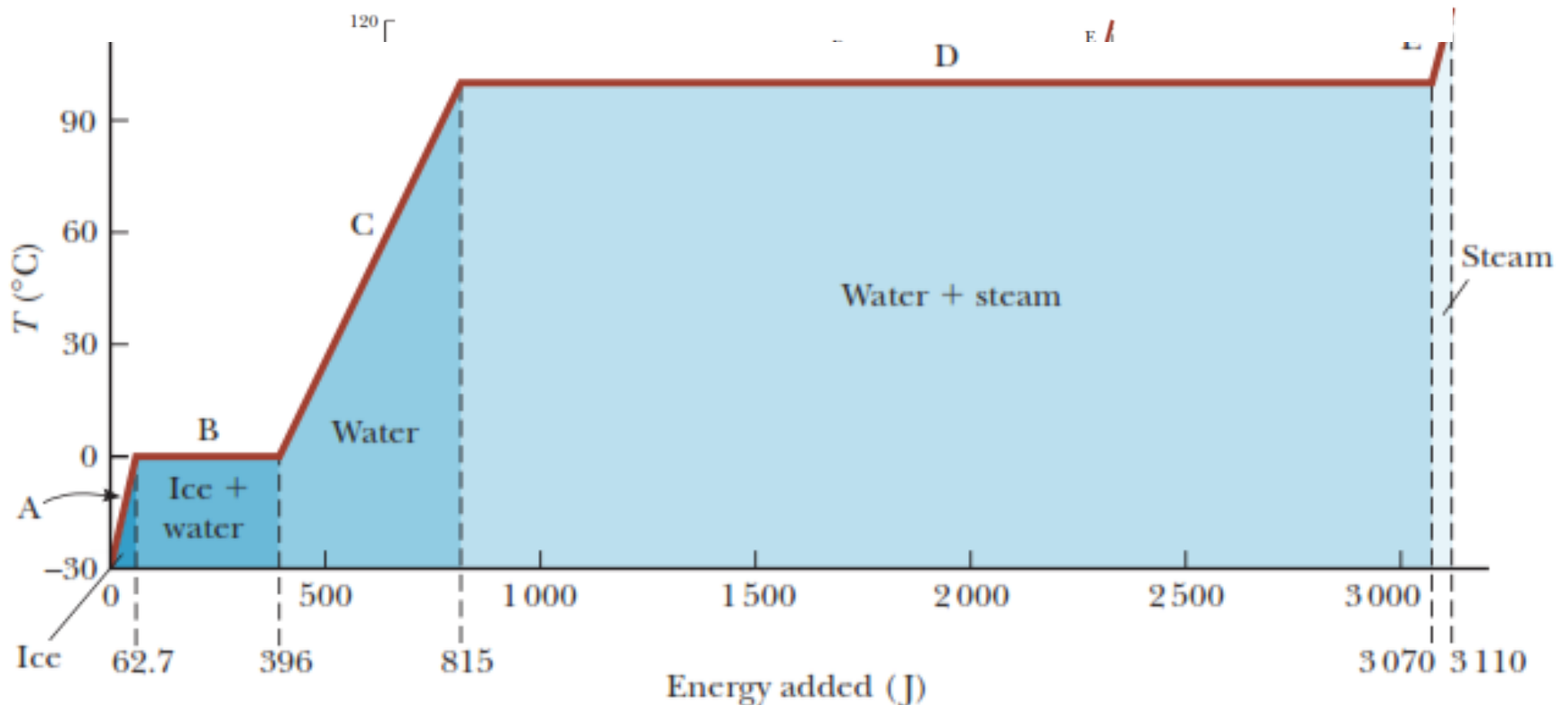
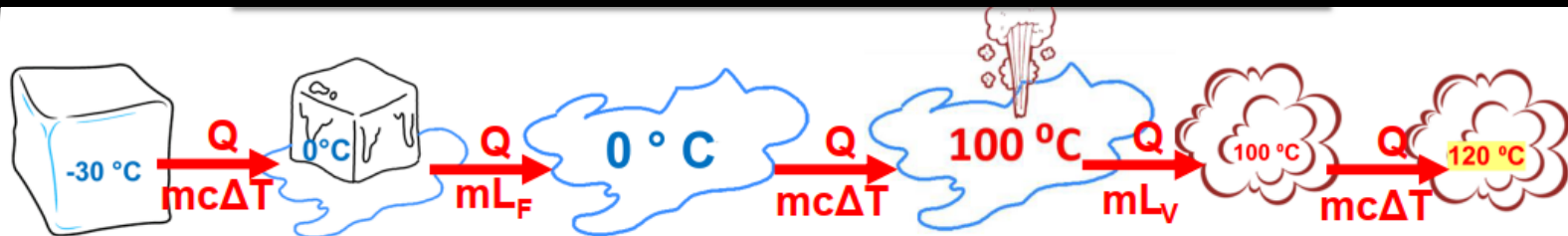
Heat of Transformation

Latent Heats of Fusion and Vaporization

Substance	Melting Point (°C)	Latent Heat of Fusion (J/kg)	Boiling Point (°C)	Latent Heat of Vaporization (J/kg)
Helium	-269.65	5.23×10^3	-268.93	2.09×10^4
Nitrogen	-209.97	2.55×10^4	-195.81	2.01×10^5
Oxygen	-218.79	1.38×10^4	-182.97	2.13×10^5
Ethyl alcohol	-114	1.04×10^5	78	8.54×10^5
Water	0.00	3.33×10^5	100.00	2.26×10^6
Sulfur	119	3.81×10^4	444.60	3.26×10^5
Lead	327.3	2.45×10^4	1750	8.70×10^5
Aluminum	660	3.97×10^5	2450	1.14×10^7
Silver	960.80	8.82×10^4	2193	2.33×10^6
Gold	1063.00	6.44×10^4	2660	1.58×10^6
Copper	1083	1.34×10^5	1187	5.06×10^6

Example

What is the amount of energy required to convert a system consisting of a 1.00-g cube of ice at -30.0°C to steam at 120.0°C ?



□ Internal Energy

The internal energy of a thermodynamic system (U)

Is the total kinetic energy and potential energy of the atoms and molecules consisting the system.

$$U = K.E. + P.E.$$



Due to the motion of molecules
(translational, rotational, vibrational)

Due to binding energy of chemical
bonding between molecules.

The Kinetic energy is due to the motion of molecules
(translational, rotational, vibrational)

The potential energy is associated with electric potential energy
of atoms, chemical bonding.

□ Internal Energy

Any thermodynamic system or body at any temperature includes internal energy

$$U = U(T)$$

$U \approx 0$ if $T = 0$ K (absolute temperature)

So, the internal energy of any thermodynamic system is usually expressed as a change (ΔU)

Example (5)

Electric current 3A passing through a heater at a potential difference 220V during a time 15 minutes. Calculate the energy lost by the electric energy in (a) calorie and (b) KWh. If this energy is used to heat 30 liter of water, (c) How much the water temperature increased?

Solution

$I = 3 \text{ A}$, $V = 220\text{V}$, $t = 15 \text{ min} = 900 \text{ s}$, $V = 30 \text{ lit} \rightarrow m_w = 30 \text{ kg}$, $Q = ??$, $\Delta T = ??$

$$\text{Electric power} = VI$$

$$\text{Energy} = VIt = 220 \times 3 \times 900 = 594 \text{ KJ}$$

$$(a) Q = \frac{594 \times 10^3}{4.18} = 1421052.6 \text{ cal} = 142.1 \text{ Kcal}$$

$$(b) Q = \frac{594 \times 10^3}{3.6 \times 10^6} = 0.165 \text{ KWh} \quad (\text{KWh} = 3.6 \times 10^6 \text{ J})$$

$$(c) Q = mc\Delta T$$

$$1421052.6 = (30 \times 10^3)(1)\Delta T$$

$$\Delta T = 4.7 \text{ } ^\circ\text{C}$$